

User-defined types

- Type synonyms (typedefs in C)

```
type Point = (Float, Float)
type Path  = [Point]
```

- Algebraic data types
 - ▶ Combination of structs and unions
 - ▶ together with pointers in C

- Data types can be like structs in C (we call those data types **product types**)

```
data Point2 = MkPoint2 Float Float
```

this is called a
data constructor

fields are not named,
characterised by position
in the definition

```
typedef struct {  
    float x, y;  
} Point2;
```

The corresponding definition in C

Data Constructors

- Data constructors are a (special kind of) functions:

```
data Point2 = MkPoint2 Float Float
MkPoint2 :: Float -> Float -> Point2
```

- Arguments to data constructors can always be recovered using pattern matching:

```
distFromZ :: Point2 -> Float
distFromZ (MkPoint2 x y)
  = sqrt (x*x + y*y)
```

Data Constructors

- We already know some other data constructors:

```
(,) :: a -> b -> (a,b)
fst (x, _) = x
```

```
[] :: [a]
(:) :: a -> [a] -> [a]

length [] = 0
length (_ : xs) = 1 + length xs
```

```
data Point2 = MkPoint2 Float Float
```

```
point :: Point2
```

```
point = MkPoint2 1.3 2.45
```

```
typedef struct {  
    float x, y;  
} Point2;
```

```
Point2 point = {1.3, 2.45};
```

```
// or
```

```
Point2 point;
```

```
point.x = 1.3;
```

```
point.y = 2.45
```

- Data types can be like structs in C (we call those data types **product types**)

```
data Point2 = MkPoint2  
  { xPoint :: Float  
  , yPoint :: Float  
  }
```

fields are named,
characterised by position
in the definition and unique name

```
typedef struct {  
    float x, y;  
} Point2;
```

The corresponding definition in C

```
data Point2 = MkPoint2
  { xPoint :: Float
  , yPoint :: Float
  }
```

fields can also be named

```
point :: Point2
point = MkPoint2 1.3 2.45
- or
point = MkPoint2 {yPoint = 2.45, xPoint = 1.3}
```

```
typedef struct {
  unsigned int x, y;
} Point2;
```

```
Point2 point = {1.3, 2.45};
// or
Point2 point;
point.x = 1.3;
point.y = 2.45
```

```
data Point2 = MkPoint2
  { xPoint :: Float
  , yPoint :: Float
  }
```

- the above definition brings three functions
- into scope:

```
MkPoint2 :: Float -> Float -> Point2    – constructor
xPoint   :: Point2 -> Float             – access function for x
yPoint   :: Point2 -> Float             – access function for y
```

- using pattern matching to access components

```
distance :: Point2 -> Point2 -> Float
distance (MkPoint2 x1 y1) (MkPoint2 x2 y2) =
  sqrt ((x2 - x1)^2 + (y2 - y1)^2)
```

- using access functions

```
distance p1 p2 =
  sqrt ((xPoint p2 - xPoint p1)^2 +
        (yPoint p2 - yPoint p1)^2)
```


- Problem: define a type to model shapes. A shape can be a rectangle (position, width, height) or a circle (position, radius)
- Data types can be like unions in C (we call those data types **sum types**)

```
data Shape = Rectangle Point Float Float  
          | Circle     Point Float
```

```
enum tag {RECTANGLE_SHAPE, CIRCLE_SHAPE};  
struct mkRectangle {  
    enum tag    theTag;  
    float height;  
    float width;  
}  
struct mkCircle {  
    enum tag theTag;  
    point   pos;  
    radius  float;  
}  
typedef union {  
    struct mkCircle    aCircle;  
    struct mkRectangle aRectangle;  
} Shape;
```

The definition in C

Product-Sum Types

- We call Haskell's data types also **product-sum types**
- They can be recursive as well
- In contrast to data types in C, but much like generics in Java and C#, Haskell data types can be **parameterised**

Type parameter

```
data Maybe a = Nothing | Just a
```

Identifiers in Haskell

- Alphanumeric with underscores (`_`) and prime symbols (`'`)
- **Case matters**

Functions & variables	lower case	<code>map, pi, (+), (++)</code>
Data constructors	Upper case	<code>True, Nothing, (:)</code>
Type variables	lower case	<code>a, b, c, eltType</code>
Type constructors	Upper case	<code>Int, Bool, IO</code>

Next Thursday: guest lecture

- Patrick Flanagan (Jane St, Hongkong)
- Thu, 15 March